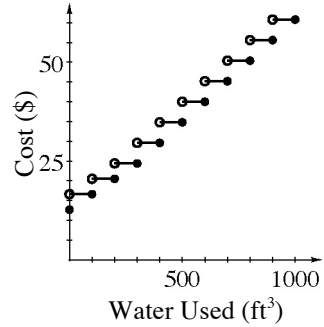


## Lesson 2.1.1

2-4. **a:** See graph at right.

**b:** Yes, for every possible amount of water usage, there is only one possible cost.

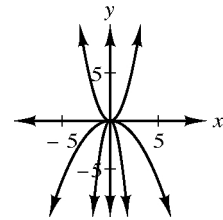
**c:** Domain: 0 to 1,000 cubic feet;  
range: discrete values including: \$12.70,  
\$16.60, \$20.50, \$24.40, \$29.60, \$34.80, \$40,  
\$45.20, \$50.40, \$55.60, \$60.80



2-5. Smallest: a: 2; b: 0; c: -3; d: none.

Largest: a: none. b: none. c: none. d: 0. e: At the vertex.

2-6. The negative coefficient causes parabolas to open downward, without changing the vertex. See graph at right.



2-7. **a:** Parabola with vertex (3, 0), see graph at right.

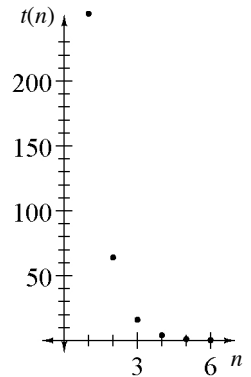
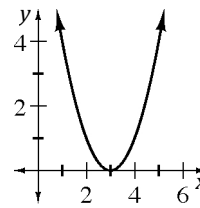
**b:** Shifted to the right three units.

2-8. **a:** 4, 1, 0.25;  $t(n) = 256(0.25)^{n-1}$

**b:** They get smaller, but are never negative.

**c:** See graph at right. They get very close to zero.

**d:** The domain is  $n$  integers greater than or equal to zero.  
The domain of the function is all real numbers.



2-9. **a:**  $y = -\frac{2}{3}x - 4$

**b:**  $y = 2$

**c:**  $x = 2$

**d:**  $y = \frac{2}{3}x - \frac{8}{3}$

2-10.  $n = 24$ ;  $\sqrt{650} = 5\sqrt{26}$

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## Lesson 2.1.2

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**2-16.** Answers will vary.

**2-17. a:**  $(0, -6)$

**b:**  $(-6, 0)$  and  $(1, 0)$

**c:**  $x$ -intercepts at  $(0, 0)$  and  $(-5, 0)$  and  $y$ -intercept at  $(0, 0)$ ; the graph of  $p(x)$  is 6 units lower than  $q(x)$

**d:**  $-6$

**2-18. a:**  $z = 1.5$

**b:**  $z = -\frac{18}{5}$

**c:**  $z = 8$

**d:**  $z = -3, 2$

**2-19. a:** 3

**b:**  $\frac{1}{x^2y^4}$

**c:**  $\frac{\sqrt{y}}{x}$

**2-20. a:**  $3p + 3d = 22.50$  and  $p + 3d + 3(8) = 37.5$ , so popcorn costs \$4.50 and a soft drink costs \$3.00.

**b:** Answers will vary.

**2-21. a:**  $\sqrt{146} \approx 12.1$

**b:**  $\sqrt{145} \approx 12.0$

**c:**  $\sqrt{50} \approx 7.1$

**d:**  $5\sqrt{2}$

**2-22.** Maximum profit is \$25 million when  $n = 5$  million.

**2-23. a:** vertex at  $(-3, -8)$ , opens up, vertically stretched.

**b:**  $x$ -intercepts  $(-5, 0)$  and  $(-1, 0)$ ;  $y$ -intercept  $(0, 10)$

**2-24. a, b, and c:** Answers will vary.

**2-25. a:**  $y = (x - 8)^2 - 5$

**b:**  $y = 10(x + 6)^2$

**c:**  $y = -0.6x(x + 7)^2 - 2$

**2-26.** Answers will vary.

**2-27. a:**  $5\sqrt{2}$

**b:**  $6\sqrt{2}$

**c:**  $3\sqrt{5}$

**2-28. a:**  $x = 46.71$

**b:**  $x = 8.19$

**2-29.** About \$ 365.00.

**b:**  $y = 300(1.04)^x$

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## Lesson 2.1.3

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**2-35.** a:  $y = 0$  or  $6$       b:  $n = 0$  or  $-5$       c:  $t = 0$  or  $7$       d:  $x = 0$  or  $-9$

**2-36.** a:  $(7, -16)$ ,  $y = (x - 7)^2 - 16$       b:  $(2, -16)$ ,  $y = (x - 2)^2 - 16$   
c:  $(7, -9)$ ,  $y = (x - 7)^2 - 9$       d:  $(2, -1)$

**2-37.** a:  $(2, -1)$   
b: When  $x = 2$ ,  $(x - 2)^2$  will equal zero and  $y = -1$ , the smallest possible value for  $y$  in the equation. So the  $y$ -value of the vertex is the minimum value in the range of the function.

**2-38.** a: 9.015 gigatons  
b:  $C(x) = 8(1.01)^{(x+2)}$  if  $x$  represents years since 2000 or  $8.16(1.01)^x$ .

**2-39.** a: 2      b: 1      c: 1      d: 2      e: 2      f: 1  
h: If the factored version includes a perfect-square binomial factor, the parabola will touch at one point only.

**2-40.** a: 4      b:  $\frac{1}{16x^4y^{10}}$       c:  $6xy^3$

**2-41.** a:  $\frac{8}{27}$       b:  $\frac{12}{27}$       c:  $\frac{6}{27}$       d:  $\frac{1}{27}$

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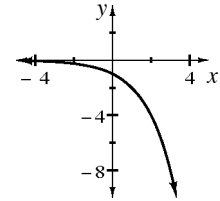
## Lesson 2.1.4

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- 2-50.** **a:**  $f(x) = (x+3)^2 + 6$ ,  $(-3, 6)$ ,  $x = -3$   
**b:**  $y = (x-2)^2 + 5$ ,  $(2, 5)$ ,  $x = 2$   
**c:**  $f(x) = (x-4)^2 - 16$ ,  $(4, -16)$ ,  $x = 4$   
**d:**  $y = (x+3.5)^2 - 14.25$ ,  $(-3.5, -14.25)$ ,  $x = -13.5$

**2-51.**  $\frac{b^2}{a}$

- 2-52.** The second graph is a reflection of the first across the  $x$ -axis. See graph at right.



- 2-53.** **a:**  $\sqrt{45} = 3\sqrt{5} \approx 6.71$ ;  $y = \frac{1}{2}x + 5$       **b:**  $5$ ;  $x = 3$   
**c:**  $\sqrt{725} \approx 26.93$ ;  $y = -\frac{5}{2}x + \frac{5}{2}$       **d:**  $4$ ;  $y = -2$

- 2-54.** After  $x$  is factored out, the other factor is a quadratic equation. After using the Quadratic Formula the solutions are  $x = \frac{-23 \pm \sqrt{561}}{8}$  or  $0$ .

**2-55.** **a:**  $x = 21$       **b:**  $x = 10\sqrt{5} \approx 22.4$       **c:**  $x = 50$

**2-56.** **a:**  $\frac{1}{4}$       **b:**  $\frac{1}{3}$

**2-57.** B

**2-58.** **a:** A cylinder      **b:**  $45\pi = 141.37$  cubic units

**2-59.** **a and b:** Answers will vary.      **c:** A circle.

**2-60.**  $(5, 14)$

**2-61.** **a:** 0.625 hours or about 37.5 minutes.

**b:** 0.77 hours or about 46.2 minutes.

**c:** About \$22.99 per minute.

**2-62.** **a:**  $\sqrt{61}$       **b:**  $30^\circ$       **c:**  $\tan^{-1}(\frac{4}{5})$       **d:**  $5\sqrt{3}$

**2-63.** **a:** Years; 1.06; 120,000;  $120000(1.06)^x$

**b:** Hours; 1.22; 180;  $180(1.22)^x$

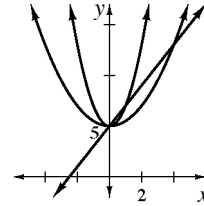
## Lesson 2.1.5

2-69. Answers will vary.

2-70. See graph at right.

**a:** It is the slope.

**b:** No, because only lines have (constant) slopes.  
This 2 is the stretch factor.



2-71. **a and b:** No. Answers will vary.

2-72. **a:**  $y = 0.25 \cdot 6^x$

**b:**  $y = 12 \cdot 0.3^x$

2-73. **a:**  $x: (1, 0), (-\frac{5}{2}, 0)$ ,  $y: (0, -5)$

**b:**  $x: (2, 0)$ ,  $y: \text{none}$

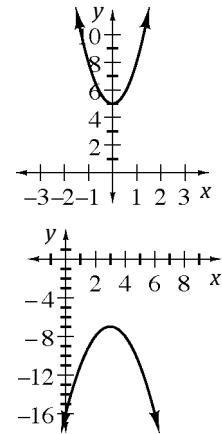
2-74. See graphs at right.

**a:** stretched parabola, vertex (0, 5)

**b:** inverted parabola, vertex (3, -7)

2-75. **a:**  $x = \pm 5$

**b:**  $x = \pm \sqrt{11}$



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## Lesson 2.2.1 (Day 1)

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**2-81.** Possible equation:  $y = -\frac{4}{25}(x-5)^2 + 8$ , standing at  $(0, 0)$   
 domain:  $0 \leq x \leq 10$ ; range:  $4 \leq y \leq 8$

**2-82.** **a:**  $x: (-\frac{1}{2}, 0), (-1, 0)$ ;  $y: (0, 1)$       **b:**  $x = -\frac{3}{4}$   
**c:**  $(-\frac{3}{4}, -\frac{1}{8})$  or  $(-0.75, -0.125)$

**2-83.** Move it up 0.125 units:  $y = 2x^2 + 3x + 1.125$

**2-84.** **a:**  $2\sqrt{6}$       **b:**  $3\sqrt{2}$       **c:**  $2\sqrt{3}$       **d:**  $5\sqrt{3}$

**2-85.** **a:** Years; 0.89; 12250;  $12250(0.89)^x$       **b:** Months; 1.005; 1000;  $1000(1.005)^x$

**2-86.** **a:** 32      **b:**  $x^2y^2\sqrt{x}$       **c:**  $\frac{x^2}{y}$

**2-87.**  $c + m = 18$  and  $\$4.89c + \$5.43m = \$92.07$   
 10.5 lbs. of Colombian and 7.5 lbs. of Mocha Java.

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## Lesson 2.2.1 (Day 2)

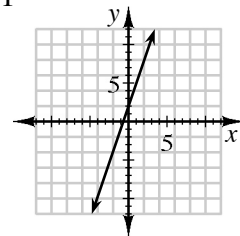
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**2-88.** **a:** 15 ft

**b:** Surface area of concrete: 793.14 sq. ft.; 528.76 cu. ft.; \$1,263.74

**2-89.** **a:** See graph at right.      **b:**  $y = 3x + 2$       **c:** 2, 5, 8, 11

**d:** One is continuous and one is discrete. They have the same slope so the “lines” are parallel, but they have different intercepts.

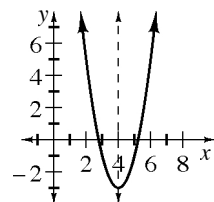


**2-90.** **a:**  $4.116 \cdot 10^{12}$       **b:**  $y = 1.665(10^{12})(1.0317)^t$

**c:** Answers will vary.

**2-91.** **a:**  $6\sqrt{x} + 3\sqrt{y}$       **b:** 32      **c:** 5      **d:**  $\frac{\sqrt{3}}{2}$

**2-92.** **a:**  $6x^3 + 8x^4y$       **b:**  $x^{14}y^9$



**2-93.** See graph at right. line of symmetry  $x = 4$

**2-94.** **a:**  $4\pi + \frac{4}{3}\pi \approx 16.755 m^3$       **b:** No;  $r, r^2, r^3$  relationship;  $V = \frac{80\pi}{3} \approx 83.776 m^3$

**c:**  $V = \frac{4}{3}\pi r^3 + 4\pi r^2$

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## Lesson 2.2.1 (Day 3)

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**2-95.** a:  $y = \frac{1}{x+2}$     b:  $y = x^2 - 5$     c:  $y = (x-3)^3$     d:  $y = 2^x - 3$   
e:  $y = 3x - 6$     f:  $y = (x+2)^3 + 3$     g:  $y = (x+3)^2 - 6$     h:  $y = -(x-3)^2 + 6$   
i:  $y = (x+3)^3 - 2$

**2-96.** He should move it up 6 units or redraw the axes 6 units lower.

**2-97.** a: 18    b:  $\frac{3}{2}$     c:  $\frac{1}{\sqrt{3}}$  or  $\frac{\sqrt{3}}{3}$     d:  $11 + 6\sqrt{2}$

**2-98.** a:  $(2x - 3y)(2x + 3y)$     b:  $2x^3(2 + x^2)(2 - x^2)$   
c:  $(x^2 + 9y^2)(x - 3y)(x + 3y)$     d:  $2x^3(4 + x^4)$

**2-99.**  $x = \frac{-by^3 + c + 7}{a}$

**2-100.** a:  $t(n) = -6n + 26$

b:  $t(n) = -1.5(4)^n$  or  $-6(4)^{n-1}$

**2-101.** a: See graph at right.

b: 2

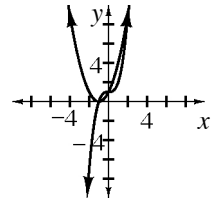
c: -1

d:  $\sqrt[3]{-13}$

e: no solution

f: Three because the graphs cross three times.

g:  $x^3 - x^2 - 2x$



## Lesson 2.2.2 (Day 1)

2-107. **a:**  $y = (x - 2)^2 + 3$

**b:**  $y = (x - 2)^3 + 3$

**c:**  $y = -2(x + 6)^2$

2-108. **a:** D: all real numbers, R:  $y \geq 3$

**b:** D and R: all real numbers

**c:** D: all real numbers, R:  $y \leq 0$

2-109. **a:** compresses or stretches

**b:** shifts up or down

**c:** shifts left or right

**d:** shifts up or down

2-110. **a:**  $y = 0.4 \cdot 0.5^x$

**b:**  $y = 8 \cdot 2^x$

2-111. **a:**  $\frac{2}{25}$

**b:**  $\frac{3x^2y^3}{z^4}$

**c:**  $54m^4n$

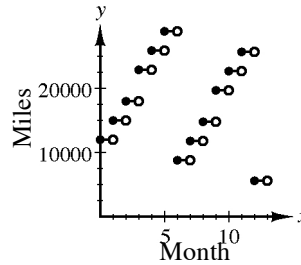
**d:**  $y\sqrt[3]{5x^2z}$

2-112. **a:** See table and graph at right.

**b:** He had 28,900 miles in May.

**c:** 5600 miles

**d:** No, he will not be able to go in December, he will only have 24,200 miles.



Month	Miles
1	15,000
2	18,000
3	22,900
4	25,900
5	28,900
6	8,800
7	11,800
8	14,800
9	19,700
10	22,700
11	25,700
12	5,600

2-113. **a:**  $x = \pm\sqrt{\frac{y}{2}} + 17$

**b:**  $x = (y + 7)^3 - 5$



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## Lesson 2.2.2 (Day 2)

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2-114. **a:**  $(10, 48)$

**b:**  $\left(\frac{29}{5}, \frac{9}{5}\right)$

2-115. **a:**  $8\sqrt{3}$

**b:**  $3\sqrt{x}$

**c:** 12

**d:** 108

2-116. **a:**  $g\left(\frac{1}{2}\right) = -4.75$

**b:**  $g(h+1) = h^2 + 2h - 4$

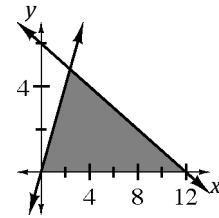
2-117. See graph at right.

**a:**  $y = 2x : (0, 0)$ ,  $y = -\frac{1}{2}x + 6 : (0, 6), (12, 0)$

**b:** It should be a triangle with vertices  $(0, 0)$ ,  $(12, 0)$ , and  $(2.4, 4.8)$ .

**c:** Domain  $0 \leq x < 12$ , Range  $0 \leq y \leq 4.8$

**d:**  $A = \frac{1}{2}(12)(4.8) = 28.8$  square units

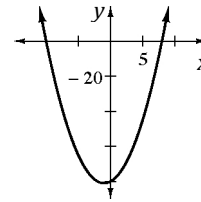


2-118.  $y \approx 2(x-5)^2 + 2$  and  $y \approx -\frac{1}{2}(x-5)^2 + 2$

2-119. See graph at right.

$y = (x+1)^2 - 81$ ;  $x$ -intercepts:  $(-10, 0)$ ,  $(8, 0)$ ,

$y$ -intercept:  $(0, -80)$ ; vertex:  $(-1, -81)$



2-120. Yes, when  $n = 117$ .

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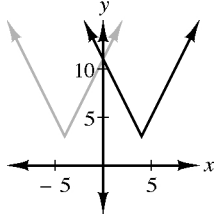
## Lesson 2.2.3

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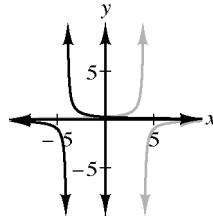
2-125. **a and** : Neither

**c:** Even

2-126. **a:**



**b:**



**c:** Neither function is odd nor even.

2-127.  $y = -\frac{3}{4}(x-2)^2 + 3$

2-128. **a:**  $x: (-1, 0), y: (0, 2)$

$V: (-1, 0), y = 2(x+1)^2$

**b:**  $x: (0, 0), (2, 0), y: (0, 0)$

$V: (1, 1), y = -(x-1)^2 + 1$

2-129. **a:**  $y = x$

**b:**  $(\frac{1}{2}, \frac{1}{3})$

**c:**  $(\frac{1}{2}, \frac{1}{3})$

**d:** The solution to the system is the point at which the lines intersect.

2-130. **a:**  $t(n) = 40(\frac{1}{4})^n$  or  $10(\frac{1}{4})^{n-1}$

**b:**  $t(n) = -6n + 4$

2-131. **a:**  $x: (2, 0), (6, 0)$   $y: (0, 2)$  vertex  $(4, -2)$ , D: all real numbers; R:  $y \geq -2$

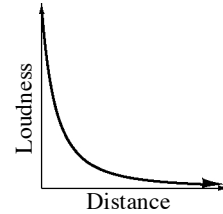
**b:**  $x: (-4, 0), (2, 0)$   $y: (0, 2)$  vertex  $(-1, 3)$ , D: all real numbers; R:  $y \leq 3$

## Lesson 2.2.4

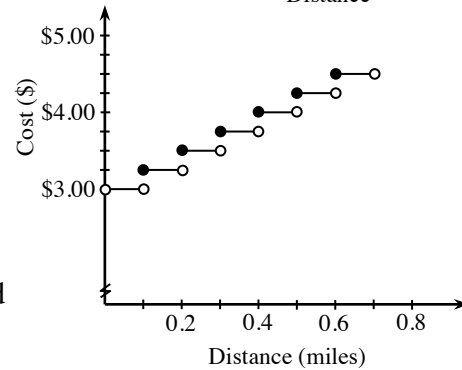
2-139.  $y = (x + 3.5)^2 - 20.25$

2-140. **a:** See graph at right.

**b:** Loudness depends on distance.



2-141. See graph at right. The domain is all positive numbers (or  $d > 0$ ). The range is all real numbers greater than 3 and that are multiples of 0.25.



2-142. Answers will vary.

2-143. The second graph shifts the first 5 units left and 7 units up and stretches it by a factor of 4.

2-144. **a:**  $x^2 - 1$

**b:**  $2x^3 + 4x^2 + 2x$

**c:**  $x^3 - 2x^2 - x + 2$

**d:**  $y: (0, 2), x: (1, 0), (-1, 0), (2, 0)$

2-145. **a:**  $(a, b) = (2, \pm \frac{1}{2})$

**b:**  $(a, b) = (\frac{1}{2}, \pm 2)$

2-146. **a:**  $y = -\frac{5}{9}(x - 3)^2 + 5$

**b:**  $x = -\frac{3}{25}(y - 5)^2 + 3$

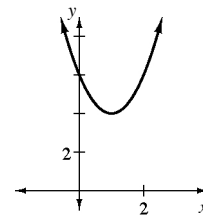
2-147. See graph at right.

**a:**  $y = 2x^2 - 4x + 6$

**b:** There is no difference, but the explanations vary.

**c:**  $y = x^2$

**d:**  $y = x^2$



2-148. **a:** The graph will be a circle with a center at (5, 8) and a radius of 7.

**b:** See graph at right.

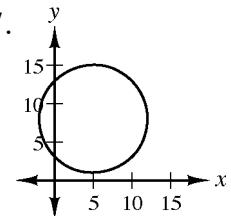
2-149. **a:** -2

**b:** -2

**c:**  $\frac{1}{2}$

**d:** -1

**e:** The product of the slopes of any two perpendicular lines is -1.



2-150. Answers will vary.

2-151. **a:** (0, 0), (-24, 0), and (0, 0)

**b:** (6, 0), (10, 0), and (0, 60)

2-152. (3, 2)

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## Lesson 2.2.5

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**2-162.**  $x < 2, y = -(x - 2)^2$ ;  $x \geq 2, y = x + 2$

**2-163.** Any function for which  $f(x) = f(-x)$ . On a graph, the function will have the y-axis as its line of symmetry.

**2-164.**  $y = -2|x + 3| + 4$

**2-165. a:**  $(x + 2)^2 + (y - 3)^2 = 4$                       **b:**  $(x - 12)^2 + (y + 15)^2 = 81$

**2-166.**  $y = (x - 2.5)^2 + 0.75$ , vertex  $(2.5, 0.75)$

**2-167.** He is incorrect. Answers will vary.

**2-168.**  $f(x) = x^2 + 1$

**2-169.**  $\pm 11, \pm 9, \pm 19$